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$T$  )  $X$   
 $\vdots$   
 $\text{Min } c(x) : x \in X$   
 $x \subseteq R_n$   
 $( \quad )$   
 $x :$   
 $s :$   
 $s$   
 $( \quad x \in X \quad )$   
 $x : X(s)$   
 $X$   
 $s$   
 $s(x) = \{s \in S : x \in X(s)\}$   
 $x$   
 $x(s) = \{x \in X : s \in S(x)\}$   
 $s$   
 $( \quad )$

$\frac{x^* := x}{T}$   $\frac{x \in X}{k=0}$   
 $\frac{s_k \in S(x) - T}{S(x) = \text{OPTIMUM}(s(x) : s \in S(x) - T)}$   $\frac{k := k+1}{c(x) < c(x^*)}$   
 $x := s_k(x)$   
 $x^* := x$   
 $x^*$   
 $S(x) - T = \emptyset$   
 $T$   
 $\vdots$   
 $t$   
 $t$   
 $: ( \quad )$   
 $T(x) = \{s \in S : s(x) \in T\}$   
 $\{ \quad \}$

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1 -Aspiration Level.

B                    Q

D    C                L

R                    T

⋮

$x_0 = (Q_a, L_b, T_c, R_d)$

A

$(Q_{a'})$                    $Q_i$

B                               $(Q_i \quad i= , ,...,n )$

$L_j$                        $(R_n \quad n= , ,...,n ) \quad (T_m \quad m= , ,...,n ) \quad (L_j \quad j= , ,...,n )$

. n . n

C                               $x = (Q_a, L_b, T_c, R_d)$

D

C                       $A = \{Q_i, L_b, T_c, R_d \quad i= , ,...,n \}$

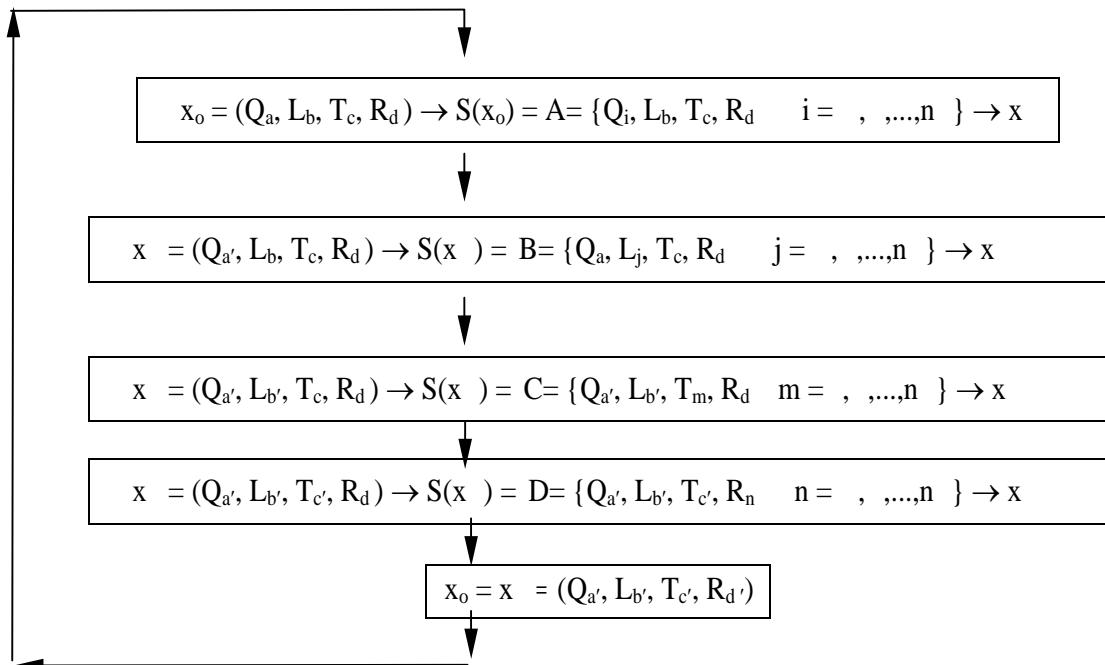
B                       $\{Q_a, L_j, T_c, R_d \quad j= , ,...,n \}$

C                       $\{Q_a, L_b, T_m, R_d \quad m= , ,...,n \}$

D                       $\{Q_a, L_b, T_n, R_n \quad n= , ,...,n \}$

)

A                              (



**T**

D C , B , A

T

T

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T<sub>D</sub> T<sub>C</sub> , T<sub>B</sub> ,T<sub>A</sub>

(

A

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(v)

Min v (Q<sub>i..</sub>, L<sub>j</sub>, T<sub>m</sub>, R<sub>n</sub>): v ∈ V<sub>ijmnp</sub>

i = , ,...,n      j = , ,...,n

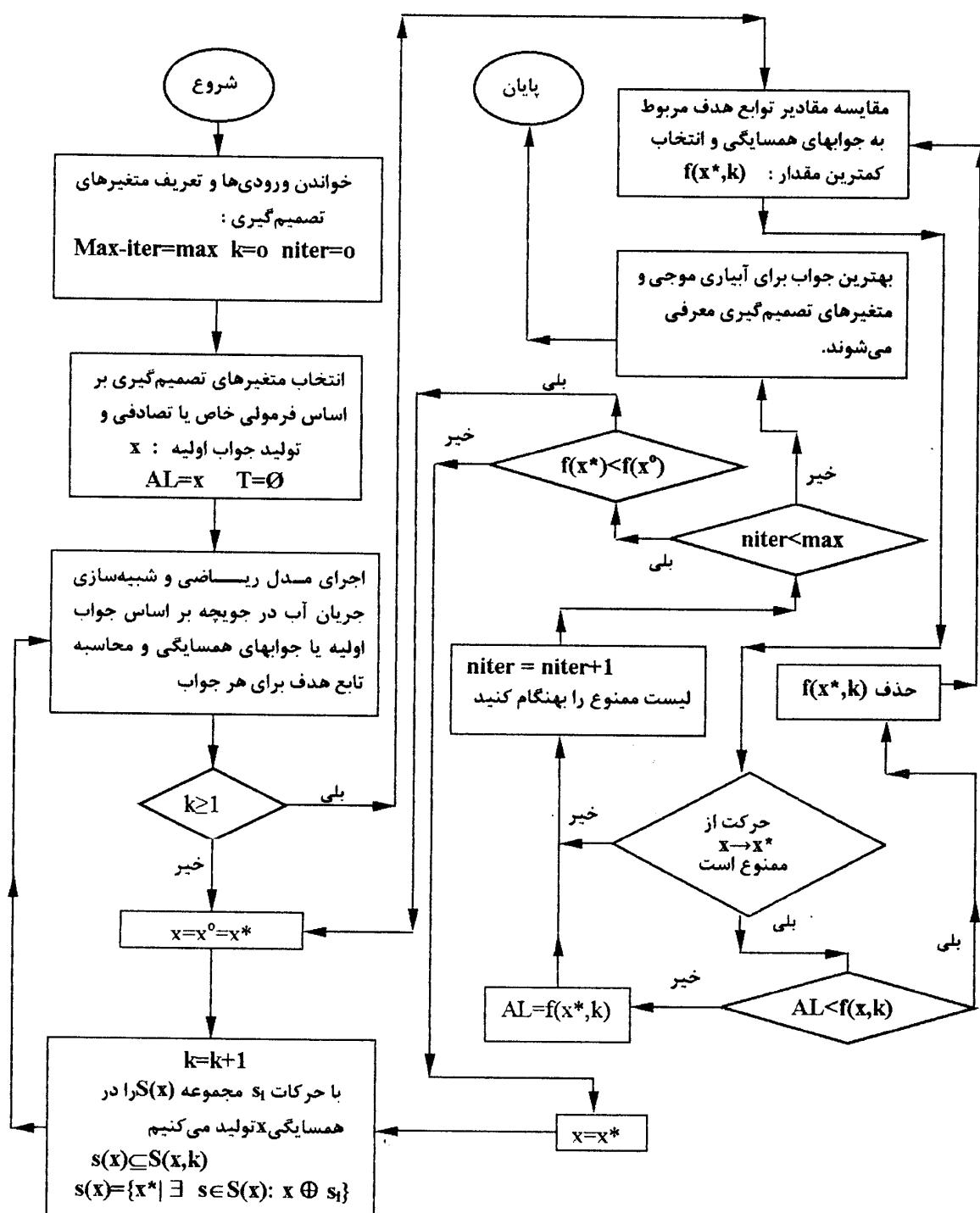
m = , ,...,n      n = , ,...,n

$$V_{ijmnp} = \left[ \sum_{p=1}^k (Q_i(T_m \times R_n))_p \right] / L_j \quad ($$

k≤

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k



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$$Z = Kt^a + f_0 t \quad (1)$$

$$f_0 \text{ [min]} \quad t \text{ [m}^3 \cdot \text{m}^{-1}] \quad Z$$

$$a \text{ [m}^3 \cdot \text{m}^{-1} \cdot \text{t}^{-1}]$$

$$Q_{\max} = l \cdot s \quad \% \quad \%$$

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$$S(x) \quad s_i$$

$$x^* \quad , \quad x$$

$$x \quad , \quad S(x,k)$$

$$K_{dry} = l \quad , \quad a_{dry} = l$$

$$f_{dry} = l \quad , \quad K_{surg} = l$$

$$a_{surg} = l \quad , \quad f_{surg} = l$$

T AL

max

$$s \quad x \oplus s_i$$

( )

x

$$n_{dry} = l \quad , \quad n_{surg} = l$$

( )

$$A = \sigma_1 y^{\sigma_2} \quad ($$

$$W = \gamma_1 y^{\gamma_2} \quad ( \quad )$$

: A : y

$$\gamma_2 \quad \gamma_1 \quad \sigma_2 \quad \sigma_1 \quad : W$$

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$$\sigma_1 = | \quad , \quad \sigma_2 = | \quad ,$$

$$\gamma_1 = | \quad , \quad \gamma_2 = |$$

$$\theta = / \quad , \quad \phi = /$$

$$Q_i = l, l, \dots, l \quad i = 1, \dots, n$$

$$n = Q_{i+1} - Q_i = l \cdot s^{-1}$$

$$L_j = \dots, \quad j = \dots, n \quad n = \\ L_{j+1} - L_j = m \\ ( \quad ) \quad ($$

$$\begin{aligned}
 T_m &= , \dots, & m &= , \dots, n & n &= \\
 T_{i+1} - T_i &= \min & & & & \\
 ( & & ) & & & ( \\
 & : & & / & & / \\
 R_n &= / , / , / , / , / & & & &
 \end{aligned}$$

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$Q_{\max} = l \cdot 1. s$

	(V) $m^3 \cdot m^{-1}$	T*R min.	R min.min $^{-1}$	T min	Lj m
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Q<sub>max</sub>= / l.s

(V) m <sup>3</sup> .m <sup>-1</sup>	T*R min	R min.min <sup>-1</sup>	T min	Lj m	k
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